## On the (Non)Evolution of HI

 "Disks" over Cosmic Time
## J. XAVIER PROCHASKA <br> UCO/LICK OBSERVATORY <br> (IMPS: INTER[GALACTIC-STELLAR] MEDIUM <br> PROGRAM OF STUDIES)


"The Swimming Pool Theory of Galaxy Formation"
A.M. WOLFE (UC SAN DIEGO)

## Overview

- Goal: Discuss the global evolution of HI in galaxies across cosmic time
- Motivations
- HI gas feeds star formation (via $\mathrm{H}_{2}$ )
$\uparrow$ Total HI content is a balance between SF, accretion, and "feedback"
- HI is a signpost for recent/current/future SF


## $\mathrm{HI}=21 \mathrm{~cm}$



## HI at $\mathrm{z}=0$

HIPASS: Zwaan et al. 2005


## 21 cm HI Maps



THINGS: WALTER +2008

## 21 cm HI Maps



THINGS: WALTER $+2008_{5}$

## Galactic $\Sigma_{\mathrm{HI}}$ Profiles

- Analysis
- De-projection by inclination
- Average azimuthally
- Plot
- Common characteristics
- HI 'holes' at the center
- Steep decline for $\mathrm{R}<\mathrm{R}_{25}$
- Power-law (Metsel) beyond




HOLWERDA+ 2005

## Mapping HI at z>0

LAH+ 2007


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LAH+ 2009

$200 \mu \mathrm{Jy}$
$100 \mu \mathrm{Jy}$
$0 \mu \mathrm{Jy}$
$-100 \mu \mathrm{Jy}$
$-200 \mu \mathrm{Jy}$

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SHAPIRO+ 2008

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- SKA (i.e. >2020)
- Ha, Ly $\alpha$
- Difficult observations
- Primarily trace ionized H gas
- But connected to atomic/molecular gas

H $\alpha$ Intensity


RAUCH+2008

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- HI?
- Ly $\alpha$ absorption
- via Quasars, GRBs, etc.

H $\alpha$ Intensity


RAUCH+2008

## 21 cm HI Maps



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- Measure the $\mathrm{N}_{\mathrm{HI}}$ distribution for all galaxies in a shell
- Shell has width $\Delta \mathrm{z}$ (e.g. 1Gpc)
- Projected surface densities



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- $\mathrm{f}\left(\mathrm{N}_{\mathrm{HI}}\right)$
- \# of cells with $\mathrm{N}_{\mathrm{HI}}$ per $\mathrm{dN}_{\mathrm{HI}}$ per comoving absorption length (dX)
- $f\left(N_{H}\right)$ is akin to a luminosity function
- Distribution of projected $\Sigma_{\mathrm{HI}}$ for all galaxies in a shell of the sky
- (in a finite volume)


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How do we measure this observationally?

## Measuring $\mathrm{f}\left(\mathrm{N}_{\mathrm{HI}}\right)$ at $\mathrm{z}=0$

- Ideally
- Analyze an all-sky 21 cm map at high spatial resolution
- Alternate approach
i) Choose a sample of galaxies with a wide range of luminosity: L
ii) Map in 21 cm at high spatial res.
iii) Weight+normalize the results by the luminosity function $\Phi(\mathrm{L})$
- WHISP
- Zwaan+ 2005
- Beam size of $\sim 1 \mathrm{kpc}$ diameter



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The overlap in the distribution functions seems a remarkable "coincidence'. (Schaye 2001; Krumholz+ 2009)

## Zeroth Moment: "Covering Fraction"

$$
\ell(X)=\int_{N_{t h}}^{\infty} f\left(N_{\mathrm{HI}}\right) d N_{\mathrm{HI}} \sim<n_{\mathrm{C}}><\sigma_{\mathrm{ph}}>
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(DLA CRITERION)
$N_{t h}=2 \times 10^{20} \mathrm{~cm}^{-2} \quad\left(1.6 M_{\odot} \mathrm{pc}^{-2}\right)$


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One intersects 1 galaxy every $\sim 100 \mathrm{Gpc}$, on average.

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Note: $\mathrm{C}_{\mathrm{A}}\left(\mathrm{H}_{2}\right)=0.006 \%$

## $1 \%$ Covering Fraction to $1.6 \mathrm{M}_{\text {sun }} \mathrm{pc}^{-2}$



## First Moment: HI Mass Density

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\rho_{\mathrm{HI}}=\frac{m_{p} H_{0}}{c} \int_{N_{t h}}^{\infty} N_{\mathrm{HI}} f\left(N_{\mathrm{HI}}\right) d N_{\mathrm{HI}}
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Aside: In practice, $\varrho_{\mathrm{HI}}$ is derived from all-sky surveys of HI galaxies

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\begin{aligned}
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\varrho_{\mathrm{H} 2}(\mathrm{z}=0) & =1.1 \times 10^{7} \mathrm{MSun} \mathrm{Mpc}^{-3} \\
\varrho_{\text {Stars }}(\mathrm{z}=0) & =26 \times 10^{7} \mathrm{M}_{\text {Sun }} \mathrm{Mpc}^{-3}
\end{aligned}
$$

## Cosmic Evolution of HI in Galaxies

- How does HI evolve in galaxies in time?
- Are galaxies smaller in the past, e.g. lower $C_{A}$ ?
- Are galaxies more gas rich in the past?


BOUWENS+ 2008

## Heading to the High z Universe



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- 21 cm emission is 'hopeless'


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## Heading to the High z Universe



- 21 cm emission is 'hopeless'
- Ly $\alpha$ in Absorption
- Damped portion of the curve-of -growth
- NHI well measured in modest quality spectra
- Can use GRBs, galaxies


## SDSS DR5

```
PROCHASKA+ 2005
PROCHASKA \& WOLFE 2009
```


## - ~1000 DLAs

- Towards several thousand


## quasars

- Automated algorithm with refined (by-hand) analysis
- $z=2.2$ to 5



## $\mathrm{f}\left(\mathrm{N}_{\mathrm{HI}}\right)$ at $\mathrm{z} \sim 3$



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P\&W 2009

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- No evolution from $z=2$ to 4
- Gas remains distributed in a self-similar fashion during this 1 Gyr


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- At all cosmic time, galaxies (as a population) have the same relative distribution of projected $\Sigma_{\text {HI }}$
- On pe scales


P8W 2009

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- At all cosmic time, galaxies (as a population) have the same relative distribution of projected $\Sigma_{\mathrm{HI}}$
- On pe scales
- No shift in the $\mathbf{N}_{\mathrm{HI}}$ break with $\mathbf{z}$
- To within a factor of $\sim 2$
- Consistent with $\mathrm{H}_{2}$ physics


P8W 2009

## (Non)Evolution in the $f\left(\mathrm{~N}_{\mathrm{HI}}\right)$ Moments



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## Non-Evolution in the $\mathrm{f}\left(\mathrm{N}_{\mathrm{HI}}\right)$ Moments



- Galaxies today have nearly the same size* and total HI mass as 10 Gyr ago
- Am willing to interpolate
- i.e. constant since $2 \sim 2$
- But, we know stars have formed since $\mathbf{z \sim 2}$
- Driven by gas accretion
$\uparrow$ (See other talks)
- 'Disks' at large $\mathrm{N}_{\mathrm{HI}}$ are critically unstable (Q~1) to SF at all times

$$
\begin{aligned}
& \text { For a constant } \\
& \text { comoving number } \\
& \text { density }
\end{aligned}
$$

## DLA Systematic Biases

- Dust
(Ellison+01,Jorgenson +06 )
- Obscures background quasar
- Likely a ~10\% effect
- Color selection
(Prochaska+09)
- SDSS is biased toward DLAs at z-3
- Possibly a 20\% effect
- Not important at $z>3.5$
- Survey path (Notredaeme+09)
- DLAs affect the $\mathrm{S} / \mathrm{N}$ of their spectra
- Boosts statistics at z~2 by ~30\%


Fig. 3.- The H I frequency distribution $f_{\mathrm{HI}}(N, X)$ for the 26 DLAs of the combined sample is plotted in red. Overplotted are the fits of a single power-law, the dot-dashed line in blue, and a $\Gamma$ function, the dashed line in red. The last bin contains the $2 \sigma$ upper limit. Plotted in black is the $f_{\mathrm{HI}}(N, X)$ for the optical data from the SDSS-DR3, with the $\Gamma$-function fit in green.

## Put a theory slide here?

6 A. Pontzen et al.


# Swimming Pool Theory of Galaxy Formation 



See also Bouche \& Dekel 2009

## Swimming Pool Theory of Galaxy Formation

- Construction
- Dark matter halo forms
- Gas pools in
- This may occur very rapidly (i.e. coeval)
- Cools+recombines to form HI


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- Pool fills
- Excess water spills into $\mathrm{H}_{2}$
- $\mathrm{H}_{2}$ rapidly converted to stars
- HI level maintained
- Accretion stops/slows
- SF slows
- Pool stays full
- Absent a major (destructive) event

See also Bouche \& Dekel 2009

Swimming Pool Theory of Galaxy Formation


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- At $\mathbf{z} \sim 2$, all of the swimming pools are in place (and full) - i.e. Halos with $M<10^{12} M_{\text {sun }}$
+ Predicted by LCDM



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## Mo \& White 2002



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- Implications
- HI ‘disks’ at z~2 are as large as today
- True as a population
- Very few HI ‘disks’ are destroyed since $\mathbf{z \sim 2}$
- Those that are destroyed are replaced
- Or existing ones grow



## Evolution in the $\mathrm{f}\left(\mathrm{N}_{\mathrm{HI}}\right)$ Moments



- $2 x$ decrease in $\ell(X)$ and $\varrho_{\mathrm{HI}}$ from $\mathrm{z}=4$ to 2.5 ( 1 Gyr )
- Eliminate, uniformly, gas at all surface densities
- Star formation?
- Unlikely to remove gas with low $\Sigma_{\mathrm{HI}}$
- 'Violent' processes
- Mergers
- Feedback


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- Evolution in HI ‘disks’
- Not sufficient to empty each pool by $50 \%$
- This would reduce @нi
$\uparrow$ But would minimally change $C_{A}$
- Need to remove $1 / 2$ of the pools
$\uparrow$ While leaving the other $1 / 2$ alone
- What drives this process?
- SF: Consistent with the SFR
$\uparrow$ But why only $1 / 2$ of the galaxies?
$\uparrow$ And how is the low $\Sigma_{\text {HI }}$ gas removed?
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## z~3 is the Epoch of Elliptical 'Formation'

- Red and 'dead’ galaxies exist
- Some mechanism removed the majority of their cold ISM to halt star formation
- Elliptical galaxies have old stellar populations
- >10 Gyr (z>2)
- Connect:
- Rapid decline in @ні and the covering of $\mathrm{C}_{\mathrm{A}}$



## What do these swimming pools look like?

D. Ceverino, A. Dekel \& F. Bournaud


ALMA will play a major role here...

Ha Intensity


## Summary

- Galaxies (as a population) have the same distribution of $\Sigma_{\mathrm{HI}}$ at $\mathrm{z}=2$ and 0
- And probably at all times in between
- Shape holds to $\mathrm{z}>4$
- HI mass density and covering fraction decline by $50 \%$ in 1 Gyr from $\mathrm{z}=4$ to 2
- Mergers? Feedback? SF?
- Swimming Pool Theory of GF
- $\mathrm{z}=4$ to 2
- $1 / 2$ of the pools are completely emptied

- $\mathrm{z}=2$ to today
- The pools are filled and do not evolve
- SF proceeds only because of new accretion

