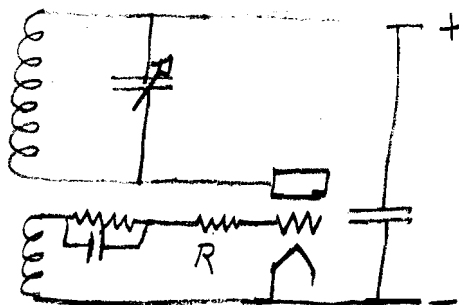


Radio Receiver Design by K.R. Sturley, 1953

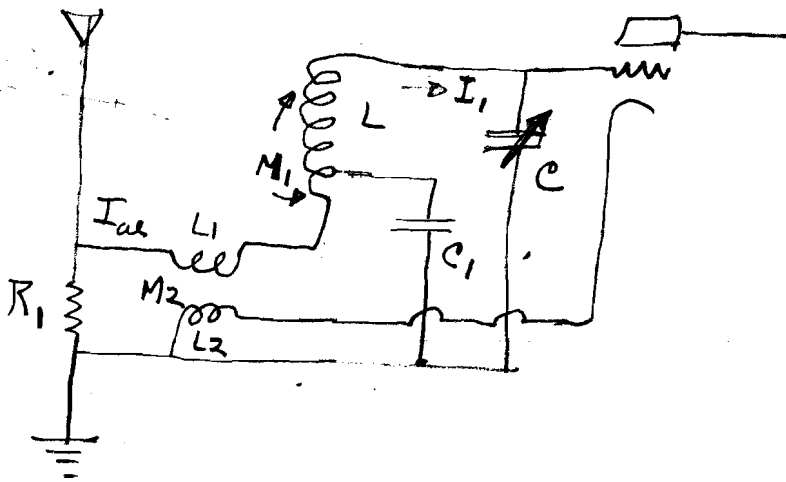
Fig 6.6, page 388 is tuned anode oscillator with amplitude stabilization by grid resistor. $R = 1000$ ohms approx.



If capacity is placed across Grid-Filament the effect of R is increased.

Pages 346 to 358. When low I.F. frequency is used (50 KC) the recommended system is to have the mixer input circuit formed of inductive and capacity coupling which buck each other to zero ^{at image frequency} near high frequency end of band. Also a scheme is put forward where the mixer grid is tapped far down on the grid coil. Here there is series tuned circuit consisting to top of grid coil and tuning condenser which is resonated to image frequency near high frequency end of band. This loses a lot of gain when I.F. frequency is low.

11



$C_1 = .005 \text{ mfd.}$
 frequency determined by LC
 $f_s = \text{signal frequency}$

$$(I_{ae} - I_1) \frac{1}{j\omega_1 C_1} = I_1 \left(j\omega_1 L + \frac{1}{j\omega_1 C} \right) + I_{ae} j\omega_1 M_1$$

$$I_1 j\omega_1 L \left(1 - \frac{f_s^2}{f_1^2} \right) = -I_{ae} \left(\omega_1 M_1 + \frac{1}{\omega_1 C_1} \right)$$

$$f_s = \frac{1}{2\pi} \left(\frac{L C C_1}{C + C_1} \right)^{1/2}$$

$$\text{Grid to Cathode voltage} = E = E_C - E_{L_2} = \frac{I_1}{j\omega_1 C} - I_{ae} j\omega_1 M_2$$

$$= -I_{ae} \left\{ \left(\omega_1 M_1 + \frac{1}{\omega_1 C_1} \right) / \omega_1 L \left(1 - \frac{f_s^2}{f_1^2} \right) j\omega_1 C \right\} + j\omega_1 M_2 = 0$$

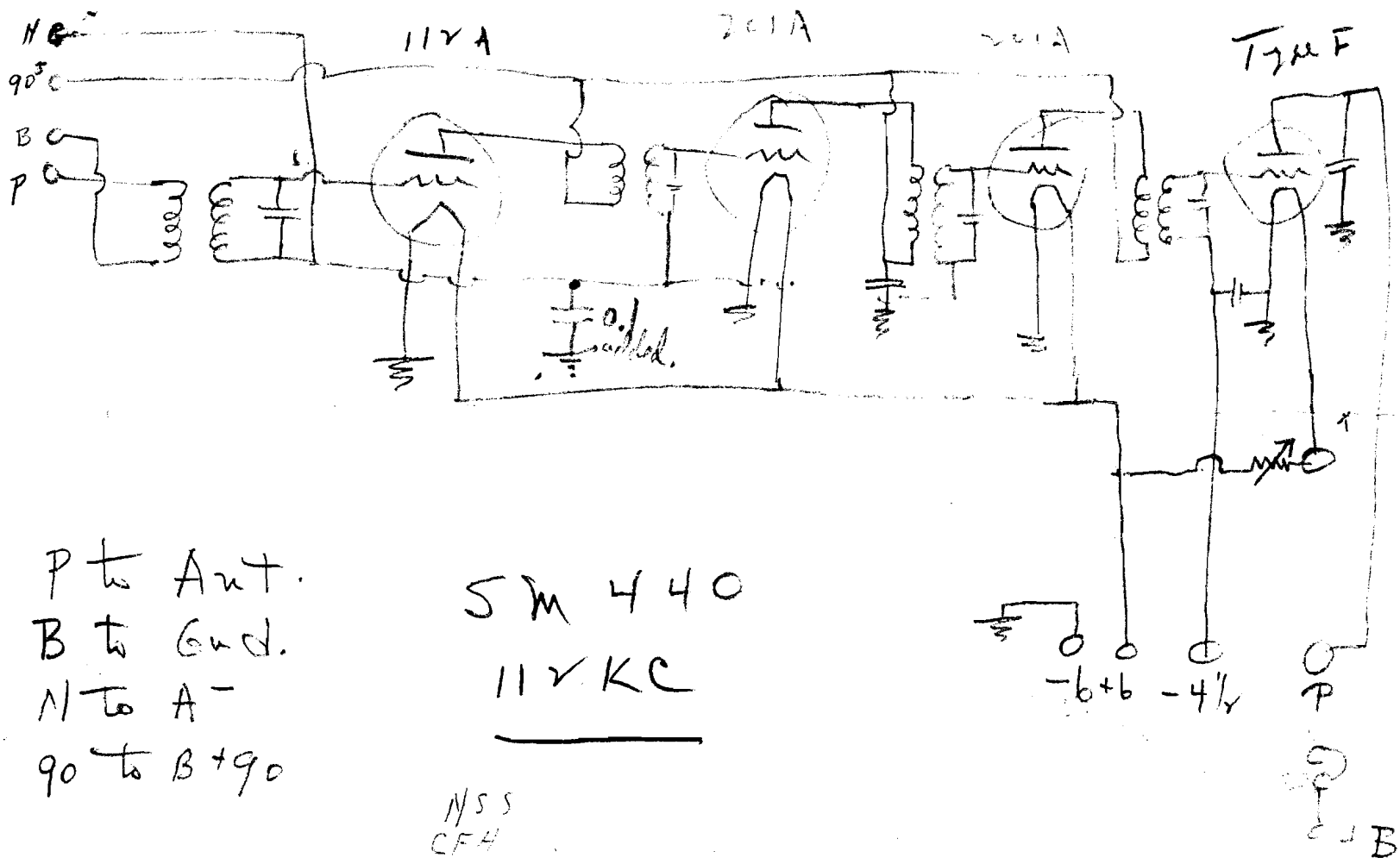
$$\text{when } \omega_1^2 L C \left(1 - \frac{f_s^2}{f_1^2} \right) = \frac{M_1}{M_2} + \frac{1}{\omega_1^2 M_2 C_1}$$

$$L C = (C_1 + C) / \omega_s^2 C_1$$

$$\text{therefore } \left[\frac{f_1^2}{f_s^2} - 1 \right] \frac{C_1 + C}{C_1} = \left(\frac{M_1}{M_2} \right) + \left(\frac{f_3^2}{f_1^2} \right) \quad 5.45$$

$$\text{where } f_3 = \frac{1}{2\pi} (M_2 C_1)^{1/2}$$

Two points of optimum suppression may be achieved over the wave range because the right hand side of 5.45 contains two independently variable terms. Choose $f_1 + f_3$. Then solve for C_1, M_1, M_2



1st August 61

1. Riveted partitions between stages tight to chassis.
2. Fixed open in 3rd transformer primary.
3. added 0.1 mfd bypass from grid returns to ground.
4. Removed wire for filament rheostat in detector and connected last filament in parallel with other three as intended by manufacturer.
5. added 200pf across secondary of first transformer to bring it into tune at 112KC.

	Pri.	Sec
Q	26	31
L ₀ mh	1.09	3.21
C ₀ pf	95	55
R ₀ ohms	30	73
M mh	1.36	
K	.73	

all data taken with transformer mounted in place inside shield can

Transformer dimensions:

Amplifier dimensions:

Operating Q 14.3

Tuning Cap, pf 569
Tuned Impedance 32,300 ohms
all at 112 KC

D.C. ohms 16.8 8.4

Last Transformer 3DB points $\log^{-1} 2.0375 = 109.0 \text{ KC}$
 $\log^{-1} 2.0675 = 116.9 \text{ KC}$

Difference = 7.9 KC

Sum = 225.9

Average 113 KC

Q = 113 / 7.9 = 14.3

$$R_G = \text{Tuned Impedance} = Q \omega L = 14.3 \cdot 112 \cdot 10^3 \cdot 6.28 \cdot 3.21 \cdot 10^{-3} = 32,300 \text{ ohms}$$

C_{GP} = 8 pf approximate

$$X_{GP} = 1 / (6.28 \cdot 112 \cdot 10^6 \cdot 8 \cdot 10^{-12}) = 10^6 / 5.16 = 173,000 \text{ ohms}$$

Feedback is small because $X_{GP} \gg R_G$

$$X_{GP} / R_G = 5.5$$

10/8/61

Last transformer in SM 440 amplifier

Sec = 8.4 Ω D.C., Pri. = 16.8 Ω D.C.

Sec: Freq 100KC 112KC 200 $C_0 = \frac{736 - 4 \cdot 143}{3} = \frac{164}{3} = 55 \text{ pf.}$
 C pf 736 569 143
 Q 31.

$$L_0 = 1 / (6.28 \cdot 112 \cdot 10^6)^2 \cdot 791 \cdot 10^{-12} = 1 / 312 = 3.21 \text{ mH}$$

$$R_0 = \frac{\omega L_0}{Q} = \frac{6.28 \cdot 112 \cdot 10^6 \cdot 3.21 \cdot 10^{-6}}{31} = 72.9 \text{ ohms at } 112 \text{ KC}$$

Pri: Freq 112 224 $C_0 = \frac{1760 - 4 \cdot 369}{3} = 95 \text{ pf.}$
 C pf 1760 369
 Q 26

$$L_0 = 1 / (6.28 \cdot 112 \cdot 10^6)^2 \cdot 1855 \cdot 10^{-12} = 1 / 919 = 1.09 \text{ mH}$$

$$R_0 = \frac{\omega L_0}{Q} = \frac{6.28 \cdot 112 \cdot 10^6 \cdot 1.09 \cdot 10^{-6}}{26} = 29.5 \text{ ohms at } 112 \text{ KC}$$

Pri + Sec ailing:

Freq 70KC 112 140
 C pf 680 225 126
 Q 25

$$C_0 = \frac{680 - 4 \cdot 126}{3} = \frac{176}{3} = 59 \text{ pf.}$$

$$L_0 = 1 / (6.28 \cdot 07 \cdot 10^6)^2 \cdot 739 \cdot 10^{-12} = 1 / 143 = 7.02 \text{ mH}$$

$$R_0 = \frac{\omega L_0}{Q} = \frac{6.28 \cdot 112 \cdot 10^6 \cdot 7.02 \cdot 10^{-6}}{24} = 206 \text{ ohms.}$$

$$M = \frac{7.02 - (3.21 + 1.09)}{2} = 1.36 \text{ mH}$$

$$K = \frac{1.36}{(3.21 \cdot 1.09)^{1/2}} = \frac{1.36}{1.87} = 73\%$$

(over)

1/8/61

constant
1 volt
input

Input Stage Only using 10K Ω input dummy

Freq KC	Output Volts	Freq KC	Output Volts	on 1st grid, DB Gain	Input Gain +17DB
100	.15	82	.13	-17.7	-0.7
110	.24	95	.24	-12.4	4.6
120	.45	100	.35	-9.1	7.9
125	.75	105	.66	-3.6	13.4
130	1.44	108	1.09	0.7	17.7
134	2.02	110	1.64	4.3	21.3
140	1.12	112	2.02	6.1	23.1
145	.65	114	1.75	4.9	21.9
150	.44	117	1.02	0.2	17.2
160	.27	120	.66	-3.6	13.4
180	.15	125	.39	-8.2	8.8
		135	.21	-13.5	3.5
		150	.13	-17.7	
		175			

added 200pf

3DB widths.

	$L_{0.02}^{-1}$	2.0601 =	114.9
14 ma	$L_{0.05}^{-1}$	2.0484 =	$\frac{111.9}{3.0}$
	$L_{0.02}^{-1}$	2.0605 =	115.0
8 ma	$L_{0.05}^{-1}$	2.0475 =	$\frac{111.5}{3.5}$
	$L_{0.02}^{-1}$	2.0614 =	115.2
2.3 ma	$L_{0.05}^{-1}$	2.0475 =	$\frac{111.5}{3.7}$

31/7/61

Freq KC	Log ₁₀ F	3rd Grid. mv	2nd Grid mv	1st Grid mv	10K ₂ Input mv	direct Input mv
82	1.914	415	415	400	71000	220
95	1.978	219	115	71	670	32
100	2.000	154	61	24.8	200	10.8
105	2.021	100	23.8	5.7	38	2.4
108	2.033	70	10.0	1.73	10.0	.73
110	2.041	55	5.4	.75	4.0	.29
112	2.049	46	4.0	.48	2.7	.23
114	2.057	45	5.1	.58	2.9	.26
117	2.068	62	10.0	1.37	5.8	.56
120	2.079	86	17.5	3.35	11.2	1.27
125	2.097	130	40	11.2	29	4.1
135	2.130	223	112	58	56	18
150	2.176	350	295	248	600	58
175	2.243	560	740	1000	71000	88

KC	Log
85	1.929
90	1.954
115	2.061
130	2.114
140	2.146

2.049
1.914
<hr/>
.135
2.049
<hr/>
2.184

2/8/61

Freq KC	3rd	2nd Grid		1st Grid		Input		Input Gain
	Grid DB	Total DB	Gain DB	Total DB	Gain DB	Total DB	Gain DB	
82	0.1	0.1	0.0	0.4	0.3			71.9 DB
95	5.7	11.3	5.6	15.4	4.1	0.9	-14.5	4.5
100	8.7	16.8	8.1	24.6	7.8	13.0	-11.6	7.4
105	12.5	24.9	12.4	37.4	12.5	30.9	-6.5	12.5
108	15.6	32.5	16.9	47.7	15.2	43.8	-3.9	15.1
110	17.7	37.8	20.1	55.0	17.2	52.5	-2.5	16.5
112	19.2	40.4	21.2	58.8	18.4	59.6	0.8	19.8
113.4						61.8	4.6	23.6
114	19.4	38.3	18.9	57.2	18.9			
114.8						59.6	2.4	
117	16.6	32.5	15.9	49.7	17.2	49.1	-0.6	18.4
120	13.8	27.6	13.8	42.0	14.4	37.0	-5.0	14.0
125	10.2	20.4	10.2	31.5	11.1	21.8	-9.7	9.3
135	5.5	11.5	6.0	17.2	5.7	1.6	-15.6	4.4
150	1.6	3.1	1.5	4.6	1.5			
175	-2.5	-4.9	-2.4	-7.5	-2.6			

1/8/61

Overall using 10K Ω dummy

Freq Kc	SD input mv	Gain input DB	input mv	Gain DB
82	>1000	>1000	>1000	
95	380	>1000	198	6.5
100	94	450 -0.6	50	18.5
105	12.0	61 16.8	7.3	35.2
108	2.70	11.0 31.6	1.58	48.9
110	1.00	3.3 42.1	.68	55.8
112	.44	1.31 50.1	.39	61.8
113.4	.34	113.2 1.03 $\times 113.6$.252	64.4
114.8	.44	114.5 1.31 $\times 114.8$.34	61.8
117	1.48	5.1 38.3	1.05	52.0
120	5.9	24 24.9	3.8	40.9
125	34	156 8.6	20	26.4
135	310	>1000	172	7.8
150	>1000	>1000	>1000	

$I_p = 8.0$ 2.3 1410

$E_p = 92 \text{ Volts}$ 92V 92V

$E_g = -4.25$ -7.1V -1.42V

similar
to OX13A
tube

3/7/61

112 KC Amplifier SM440

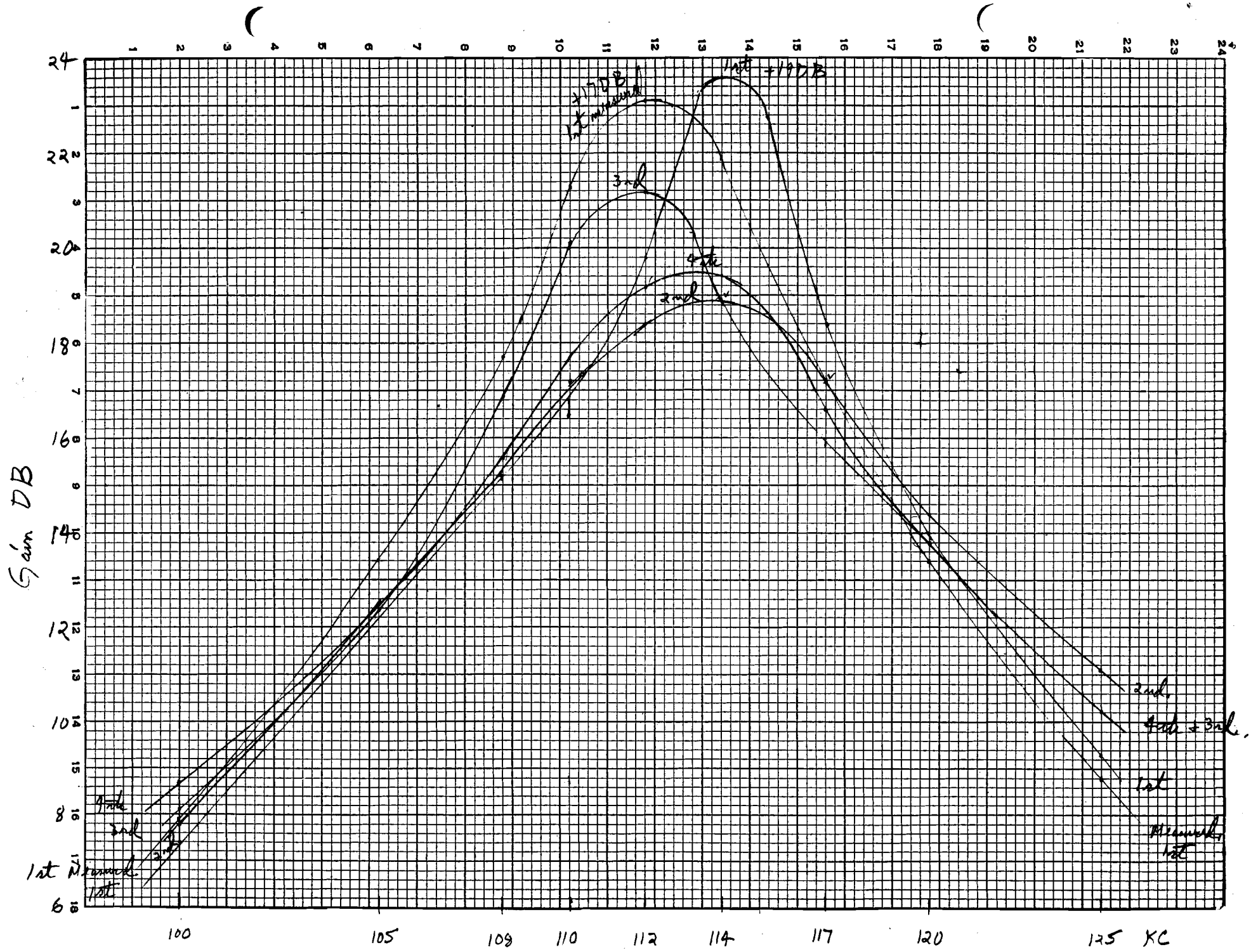
Test frequencies 85, 95, 100, 105, 108, 110, 112, 114, 117, 120,
125, 135, 150 KC

Detector $22\frac{1}{2}V E_P, -1.3V E_G = 0.16ma$ * operating conditions
" " $0V E_G = 0.42ma$
 $90V E_P, -4.5V E_G = 2.8ma$

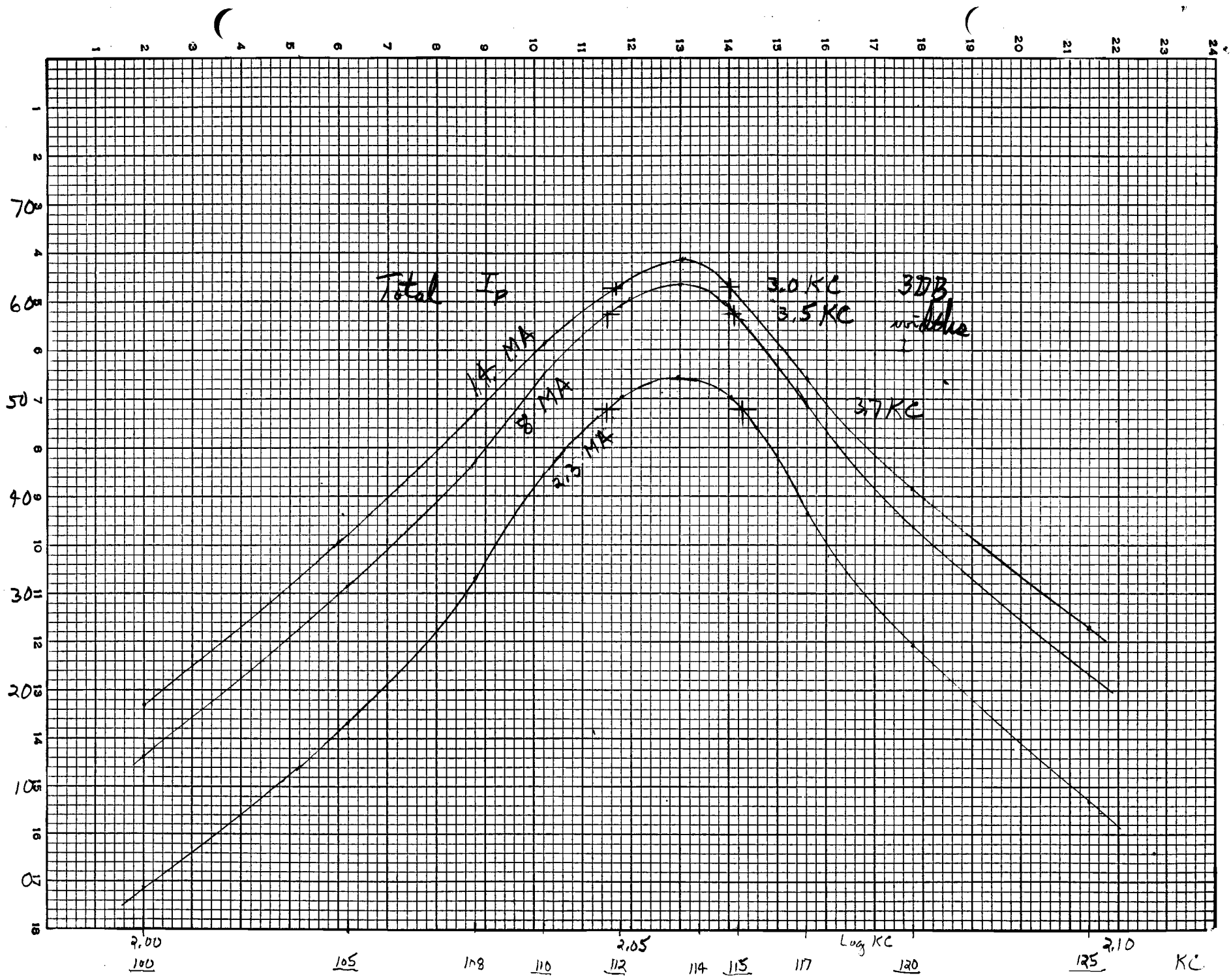
When signal generator meter is at 40 the output is 1 volt on output meter. Use 40 as reference at CW set
100% modulation is achieved when signal generator meter reads 80 at modulation set

Transformer between detector + output meter has 1 to 4 voltage ratio.
at detector grid 420mv gives 1 volt on output meter.

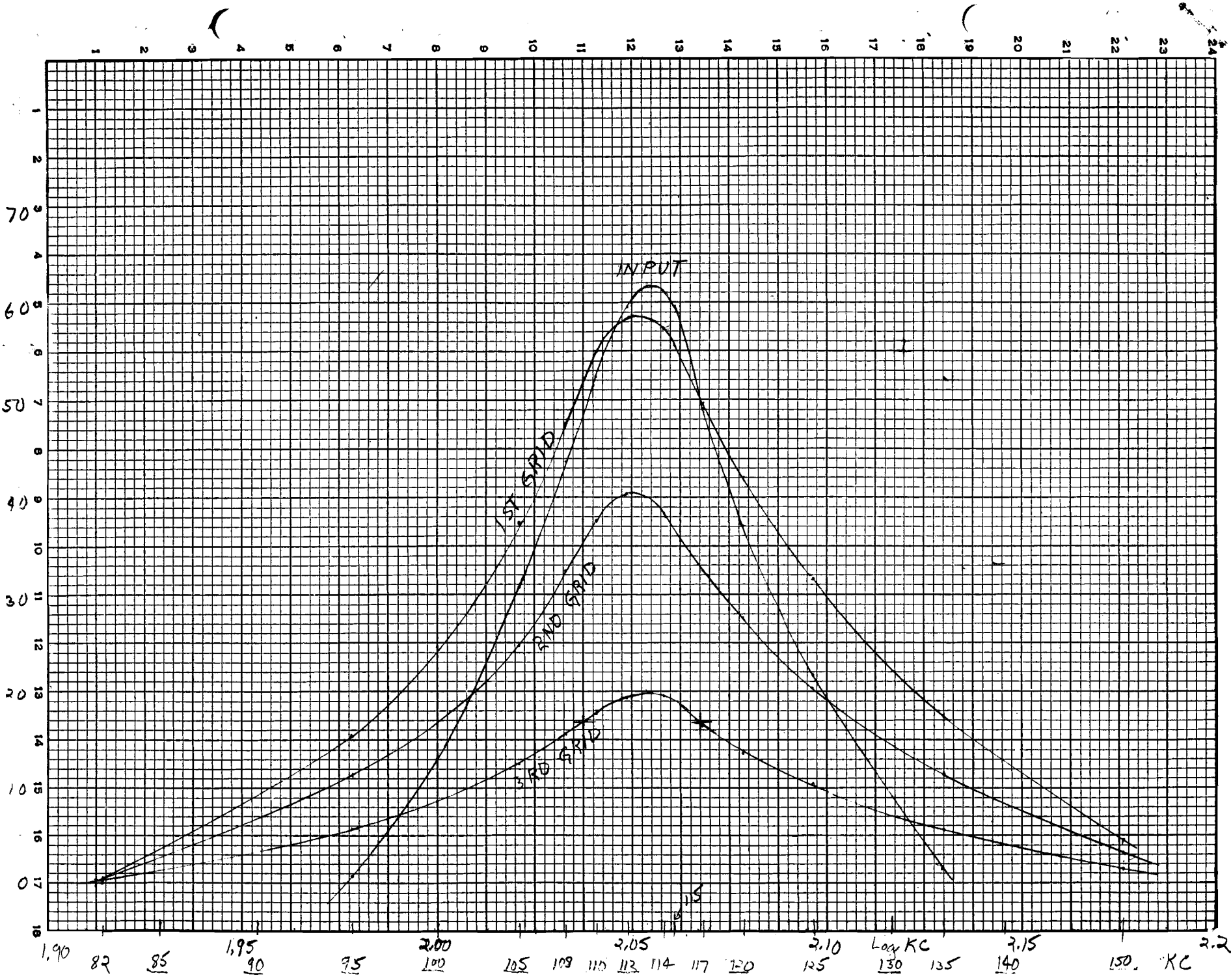
Input circuit is 10000 Ω to simulate R_p of mixer tube.
This turned out to be too high. The response curves taken on first transformer are narrower than response curves of other three transformers. A better value would be 7000 ohms. This would broaden first transformer response and raise apparent gain of first transformer.



Gain DB



Gain DB



6 Nov 60

Low frequency stage #2

$$\text{Center frequency} = \log^{-1} 2.822 = 664 \text{ KC at } 15.5 \text{ DB}$$

$$\begin{aligned} 3 \text{ DB frequencies at } 12.5 \text{ DB} &= \log^{-1} 2.607 = 405 \text{ KC} \\ &= \log^{-1} 3.082 = 1208 \text{ KC} \end{aligned}$$

$$Q = 664 / (1208 - 405) = 664 / 803 = 0.828$$

$$R_{RF} = \omega L / Q = 6.28 \cdot 664 \cdot 10^3 \cdot 1.95 \cdot 10^{-3} / 0.828 = \underline{9820 \text{ ohms}}$$

$$R_{RF} / R_{DC} = 9820 / 1320 = 7.42 \text{ times}$$

Medium frequency stage #3

$$\text{Center frequency} = \log^{-1} 2.988 = 973 \text{ KC at } 15.8 \text{ DB}$$

$$\begin{aligned} 3 \text{ DB frequencies at } 12.8 \text{ DB} &= \log^{-1} 2.778 = 600 \text{ KC} \\ &= \log^{-1} 3.168 = 1473 \text{ KC} \end{aligned}$$

$$Q = 973 / (1473 - 600) = 973 / 873 = 1.115$$

$$R_{RF} = \omega L / Q = 6.28 \cdot 973 \cdot 10^3 \cdot 1.27 \cdot 10^{-3} / 1.115 = \underline{6960 \text{ ohms}}$$

$$R_{RF} / R_{DC} = 6960 / 1940 = 3.59 \text{ times}$$

High frequency stage #1

$$\text{Center frequency} = \log^{-1} 3.235 = 1719 \text{ KC at } 15.0 \text{ DB}$$

$$\begin{aligned} 3 \text{ DB frequencies at } 12.0 \text{ DB} &= \log^{-1} 3.140 = 1380 \text{ KC} \\ &= \log^{-1} 3.335 = 2162 \text{ KC} \end{aligned}$$

$$Q = 1719 / (2162 - 1380) = 1719 / 782 = 2.20$$

$$R_{RF} = \omega L / Q = 6.28 \cdot 1719 \cdot 10^3 \cdot .27 \cdot 10^{-3} / 2.2 = \underline{1325 \text{ ohms}}$$

$$R_{RF} / R_{DC} = 1325 / 570 = 2.32 \text{ times}$$

(over)

Use $C_{GP} = 8 \text{ pf}$ for a UV201 tube

$$X_{GP} = 1 / (6.28 \cdot .664 \cdot 10^6 \cdot 8 \cdot 10^{-12}) = 10^6 / 33.3 = 30,000 \text{ ohms.}$$

$$R_G = Q\omega L = .828 \cdot 6.28 \cdot 664 \cdot 10^3 \cdot 1.95 \cdot 10^{-3} = 6740 \text{ ohms} \quad X_{GP} \gg R_G$$

$$X_{GP} / R_G = 4.45$$

$$X_{GP} = 1 / (6.28 \cdot .973 \cdot 10^6 \cdot 8 \cdot 10^{-12}) = 10^6 / 48.9 = 20,500 \text{ ohms.}$$

$$R_G = Q\omega L = 1.115 \cdot 6.28 \cdot 973 \cdot 10^3 \cdot 1.27 \cdot 10^{-3} = 8650 \text{ ohms} \quad X_{GP} \gg R_G$$

$$X_{GP} / R_G = 2.37$$

$$X_{GP} = 1 / (6.28 \cdot 1.719 \cdot 10^6 \cdot 8 \cdot 10^{-12}) = 10^6 / 86.4 = 11,600 \text{ ohms.}$$

$$R_G = Q\omega L = 2.20 \cdot 6.28 \cdot 1.719 \cdot 10^3 \cdot 0.27 \cdot 10^{-3} = 6400 \text{ ohms} \quad X_{GP} \gg R_G$$

$$X_{GP} / R_G = 1.81$$

2nd Sept 1961

$\frac{X_{GP}}{R_G}$ is greatest for low frequency stage. Consequently this stage is most stable. By putting it in middle of amplifier, between medium and high frequency stages, the entire amplifier is stabilized. The high frequency stage is least stable. By putting it at start and driving from a low impedance signal generator, it is stabilized and performance improved. If a high impedance input circuit had been used, the first stage probably would have oscillated. Some damping in form of positive grid bias would be needed.

1st October 60

Priess Coils Design probably 1924 or 5

Stage	1	2	3
D.C. Resistance, ohms	8.7*	1320	1940
1000 cycle inductance, mh	.27	1.95	1.27
Core, strips	0	26	39
Circuit capacity, pf	32.2	27.4	22.1
Circuit Apparent ^{ohms} series resistance, _{series}	1330	6960	9820

* 1st stage has external ^{ohms} series resistor of 0 to 1000 ohms set at 560 ohms.

Ad in Radio News, November 1926, page 55

Priess Radio Corp.
687 Broadway, N.Y.C.

Straight line 9 tube, single dial control
Table model \$195, Console \$335

No details on circuit, but probably a superhet.

This stagger tuned triplet probably made about 1925.
Priess still worked for someone else in 1923 as shown by patent filings.

(over)

